

# The Mathematical Association of America

PUBLISHER OF

THE AMERICAN MATHEMATICAL MONTHLY

Department of Mathematics  
University of Calgary  
Calgary, Alberta, Canada T2N 1N4

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Associate Editor

86-04-30

TO WHOM IT MAY CONCERN

I'm sorry that the problem of Louis Funar (*Amer. Math. Monthly*,  
23 (1986)280):

given an arbitrary function  $f$  from the reals to the  
reals, are there functions  $g, h$ , with  $g$  bijective,  
 $h$  injective, and  $f = g + h$ ?

proved to be not so unsolved, or at least not so insoluble, as most of  
the Unsolved Problems that appear in the *Monthly*.

Many of you were kind enough to write (in widely varying detail)  
pointing out that the answer is "no!" All of the following pointed out  
that the characteristic function of a single point, say  $f(1) = (1)$ ,  
 $f(x) = 0$  otherwise, is a counter-example. Some people indicated the  
extent to which the result was "almost true".

In view of the variability of the mails, there seems little point  
in trying to establish priority, but here are the dates on which I first  
received the information (half a dozen of them even before my copy of the  
*Monthly* arrived).

- 86-04-17 Arnold W. Miller, Mathematics Department, University of Wisconsin-  
Madison, Van Vleck Hall, 480 Lincoln Drive, Madison, WI 53706, USA.
- 86-04-17 Dan Velleman, Department of Mathematics, Amherst College, Amherst,  
MA 01002, USA.
- 86-04-17 Fred Galvin, Department of Mathematics, The University of Kansas,  
Lawrence, Kansas, 66045-2142, USA.
- 86-04-17 Joel L. Brenner, 10 Phillips Road, Palo Alto, CA 94303, USA.
- 86-04-18 Peter Freyd, Department of Mathematics El, University of Pennsylvania  
Philadelphia, PA 19104-3859, USA.
- 86-04-18 Max Burke (telephone call).
- 86-04-23 Z.Z. Voiea, Grouse Creek, Utah (mailed in Salt Lake City).
- 86-04-23 Eric K. van Douwen, Department of Mathematics, North Texas State  
University, Denton, TX 76203-5116, USA.
- 86-04-28 Juris Steprans, Department of Mathematics, York University,  
4700 Keele Street, Downsview, Ontario M3J 1P3, Canada.

Thank you for your interest in the *Monthly*.

RKG:jw

Richard K. Guy  
86-05-02.